

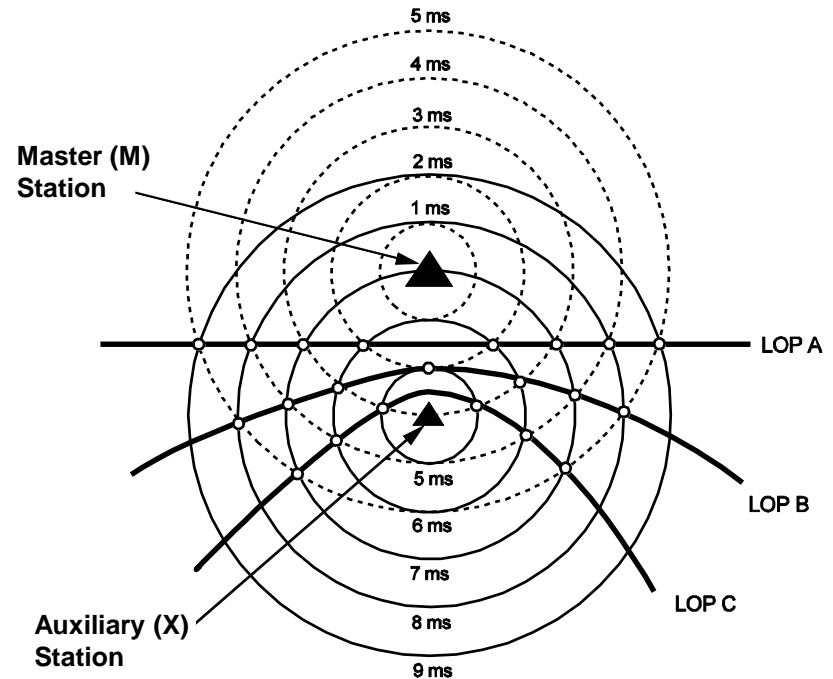
SYE 3803  
Fundamentals of Avionics  
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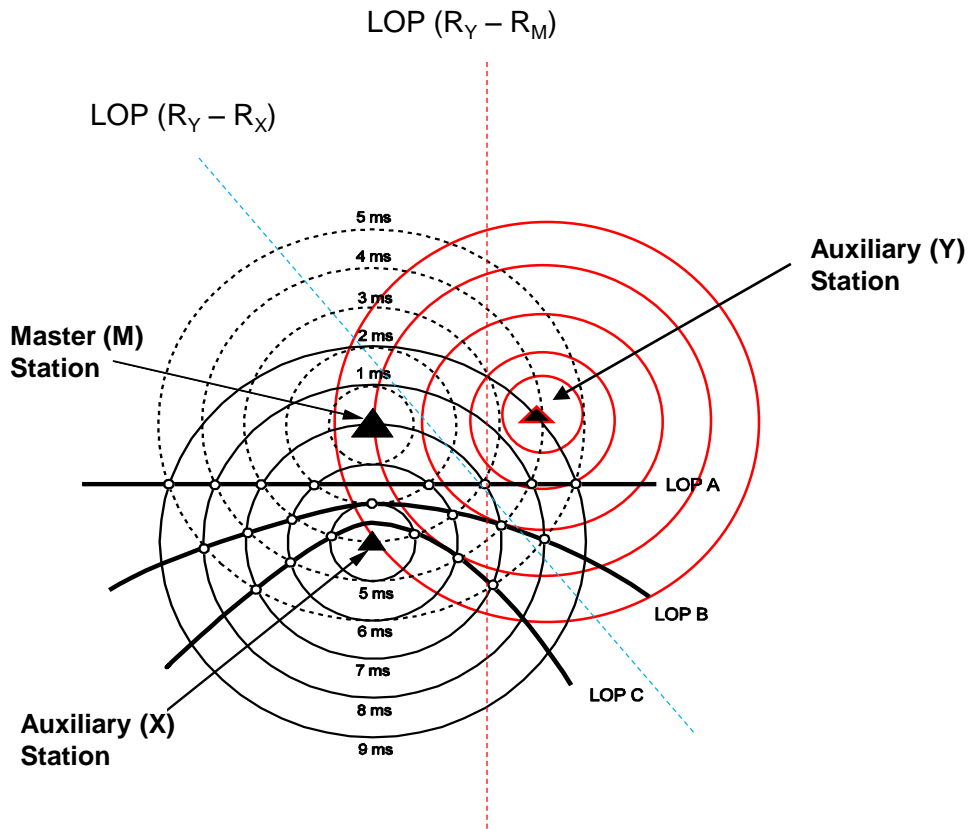
# Long Range Navigation (LORAN)

- LORAN was originally designed for ship use during WWII
- Based on hyperbolic navigation
- LORAN stations are only still operational in Europe and Asia
- VORTACs are usually accessible within about 100 NM and NDBs between 10 and 50 NM
- RNAV (area navigation) is used to compute off-airway routes, thus allowing for More flexibility than purely VORTAC or NDB-based stations
- LORAN-A (original), LORAN-B (modification of original), and LORAN-C (established in 1958 for coverage of the east coast of the US)
- LORAN-C uses a series of synchronized transmitters

- Time M transmits  $t_{Mxmit} = 0$
- Time X transmits  $t_{Xxmit} = \Delta_C(M,X)$
- Time M is received  $t_{Mrcv} = R_M/V$
- Time X is received  $t_{Xrcv} = R_X/V + \Delta_C(M,X)$
- $\Delta_C =$  Coding Delay
- Observe that M is always received before X
- Calculate  $\Delta\tau(X,M) = t_{Xrcv} - t_{Mrcv} = R_X/V + \Delta_C(M,X) - R_M/V$
- Solve for  $R_X - R_M = (\Delta\tau(M,X) - \Delta_C(M,X))V$
- Note:  $\Delta_C(M,X)$  and  $V$  are constants, and  $\Delta\tau(M,X)$  is constant “if” the receiver is stationary
- Note 2: Hyperbola: In this figure the lower focus is Auxiliary Station (X) and equal values of  $R_X - R_M$  are equidistant from the focus
- Note 3: The “Line of Position” describe the hyperbola
- Note 4: Knowing one’s position to a LOP leaves ambiguity



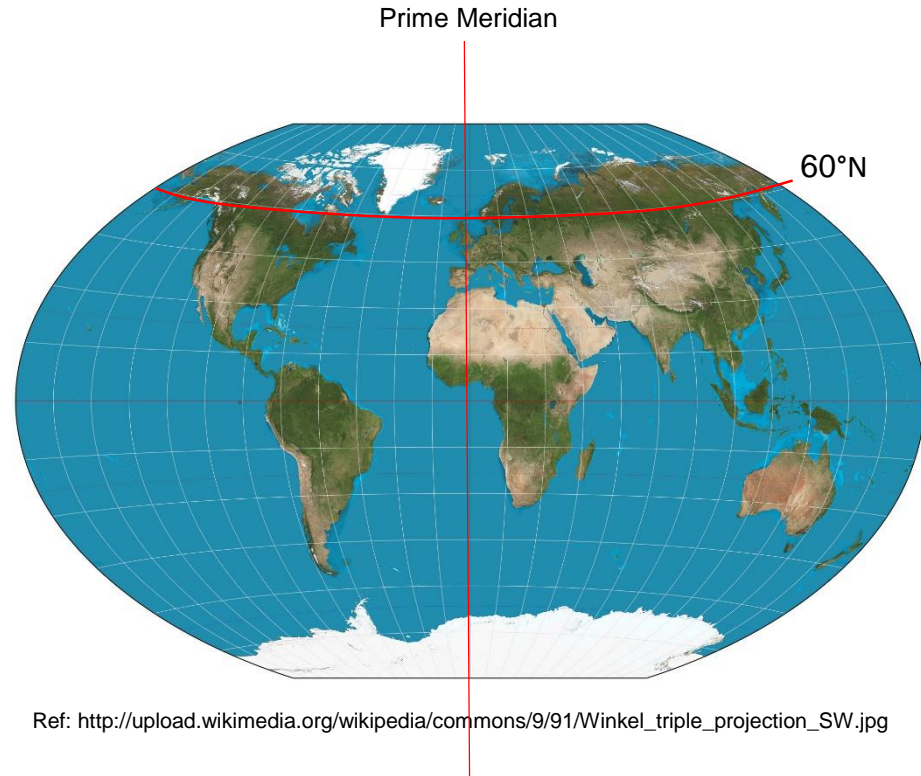
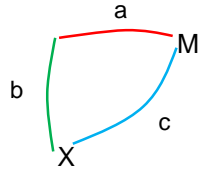
- Add a new synchronized transmitter, Y
- Define new LOPs for  $(R_Y - R_M)$  and  $(R_Y - R_X)$
- Compute  $R_Y - R_M = (\Delta\tau(M,Y) - \Delta_C(M,Y))V$
- $R_Y - R_X = (\Delta\tau(X,Y) - \Delta_C(M,Y) + \Delta_C(M,X))V$
- This is referred to as rho-rho navigation



- Example: Determine the distance between the master and X auxiliary station in a LORAN-C chain, where the master (M) is located at 54°59'N; 08°32' E and X is located at 52°42' N; 06°22' E

Solution: The difference in longitude is 2°10' 0r 2.167°. The difference in latitude is 2°17' or 2.283°. By using The law of cosines in spherical geometry we calculate:

$$\cos(c) = \cos(a) * \cos(b) = 0.9985$$



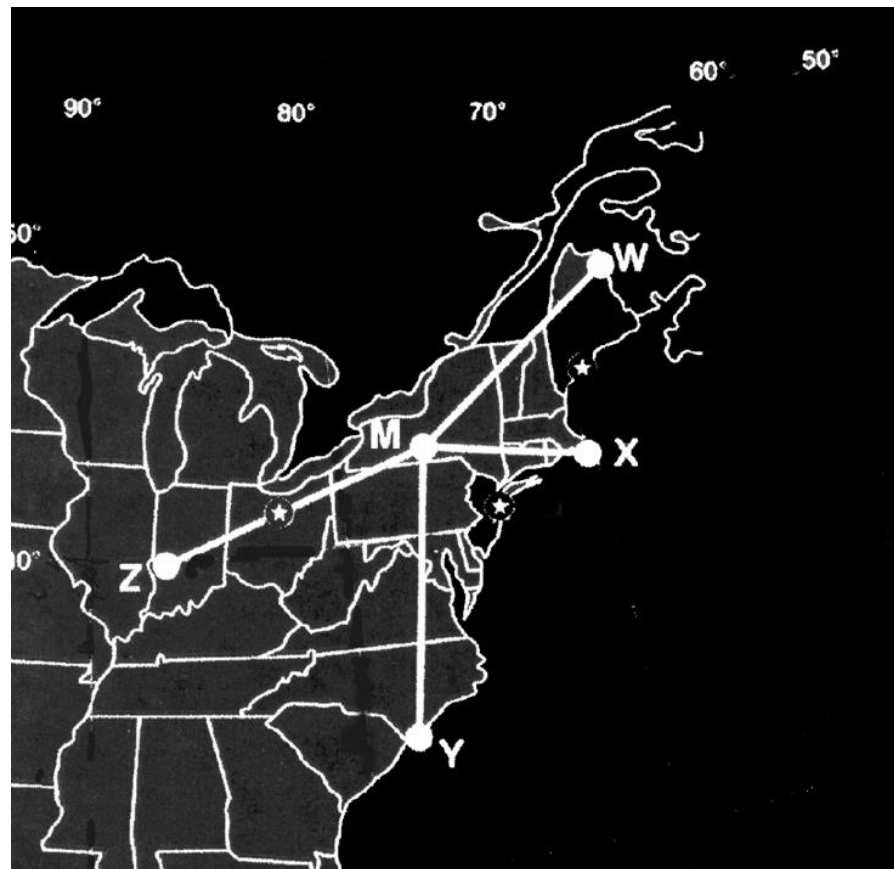
Ref: [http://upload.wikimedia.org/wikipedia/commons/9/91/Winkel\\_triple\\_projection\\_SW.jpg](http://upload.wikimedia.org/wikipedia/commons/9/91/Winkel_triple_projection_SW.jpg)

Recall: arc = rθ  
 Therefore, separation between M and X equals:  
 Radius of Earth \* spherical ∠( X and M ) = 3444 NM \* arcos(0.9985)  
 = 189 NM

- LORAN-C transmitters related to a common master station are referred to as a chain
- In a chain the master transmits first followed in succession by increasing letter designated stations; e.g. W, X, Y, and Z
- The carrier frequency in LORAN systems is 100 kHz
- The synchronization rate for a group of transmitters in a chain is referred to as the GRI
- No two LORAN chains use the same GRI
- Typical station separations are between 150 and 250NM yielding a chain size greater than 1000 NM
- Chains are identified by their GRIs: For example: East Asia 9930 represents the East Asia chain, which possesses a group repetition rate of 9930 carrier cycles per every group transmit sequence  
 $1/100,000 \text{ s} * 9930 = 99,300 \mu\text{s} \text{ (GRI)}$

URL: <https://www.youtube.com/watch?v=PDtHulWGMGg>

URL: <http://www.navcen.uscg.gov/?pageName=loranMain>



- LORAN-C antenna with “capacitive hat,” which improves the transmit efficiency and reduces Transmit power requirements

